K. K. Das College

GRH -17, Baishnabghata-Patuli Kolkata - 700084 West Bengal India



Criteria 2

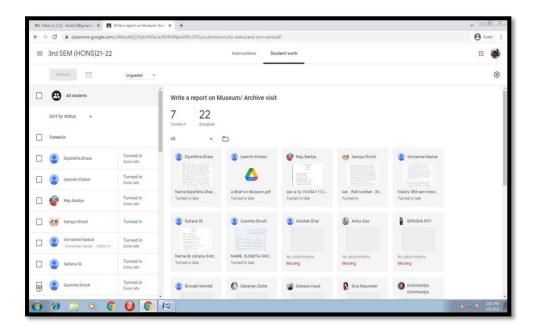
Teaching Learning and Evaluation

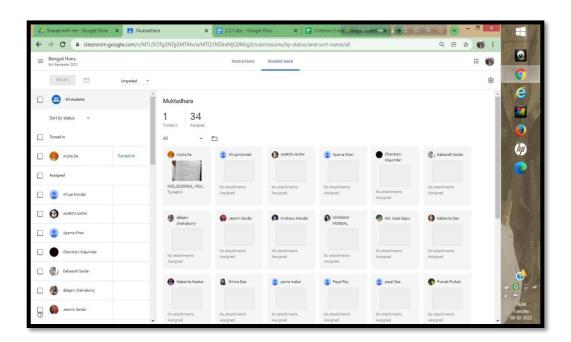
2.2.1
ADDITIONAL
DOCUMENTS

2.2.1 The institution assesses the learning levels of the students and organizes special Programmes for advanced learners and slow learners.

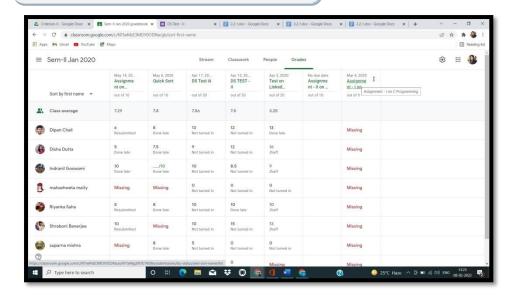
Continuous Performance Analysis of students done by the Departments based on Assignments and class tests through Google forms.

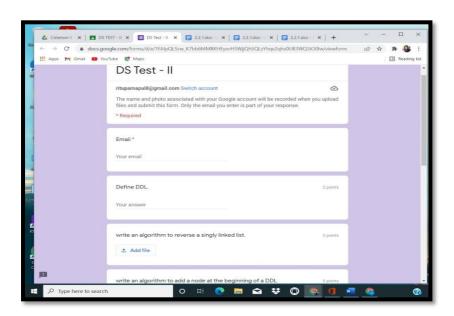
Department of History

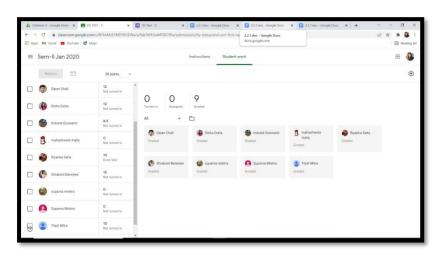




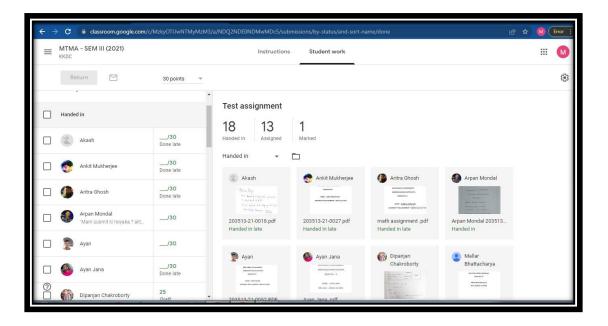
Department of Computer Science

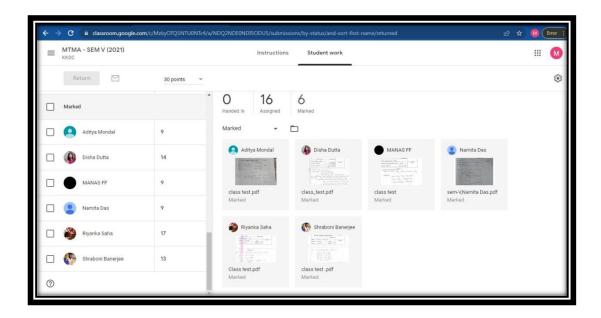






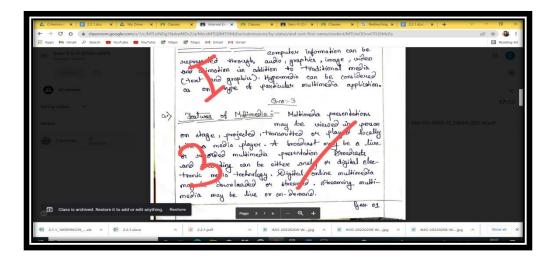
Department of Mathematics.

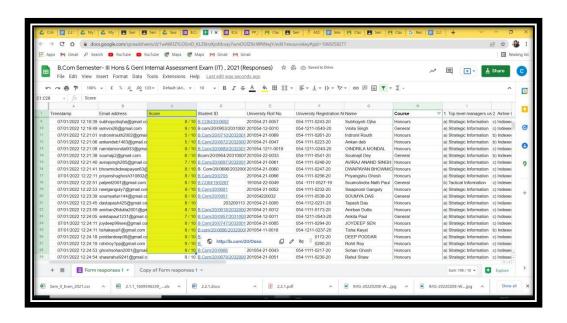




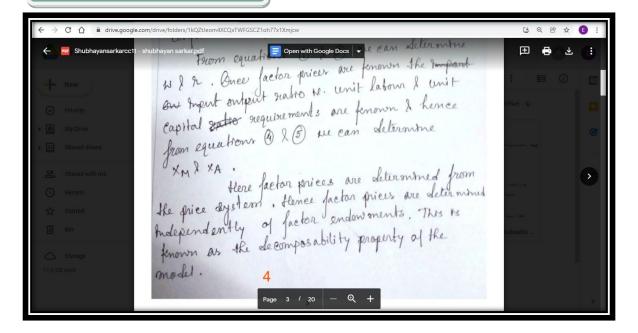
Corrected answer scripts and scores of Assessment taken through Google form are returned to the students.

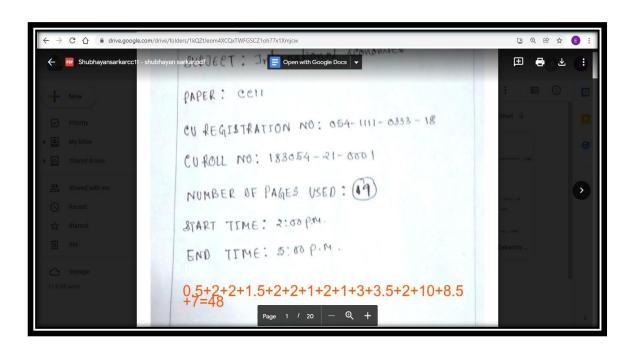
Department of Computer Science





Department of Economics.





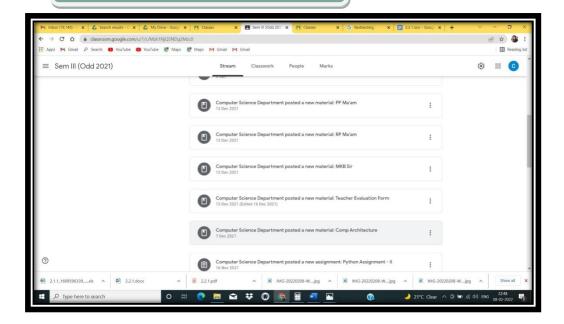
Department of Mathematics.

The Gouble Limit ($xy)$ - $(0,0)$ x^2y^2 (d) does not exist The first color of x^2y^2 = $\lim_{x \to 0} \frac{x \cdot y}{x^2 + m^2}$ = $\lim_{x \to 0} \frac{x^2 \cdot m}{x^2 + m^2}$ [Altriching the origin along the $x^2 + m^2$ = $\lim_{x \to 0} \frac{x^2 \cdot m}{x^2 + m^2}$ = $\lim_{x \to 0} \frac{x^2 \cdot m}{1 + m^2}$ [. $x \to 0$, $x \neq 0$]	NAME Dibanjam Chakroberty SUBJECT Mathematics CLASS Sem - III ROLL NO. The double limit lim		1
NAME Dibarian Chakroberty SUBJECT Mathematics PAPER Class Text CLASS Sem - III ROLL NO. The double limit lim xy (xy)-(0,0) x ⁰ xy ² (d) does not exist Tustification: Lim xy x	NAME Dibanian Chakroberty SUBJECT Motheraties PAPER Class Text CLASS Sem - TIL ROLL NO. The double limit lim XY (XY) - (0.0) x ² y ² (d) does not exist Tustification Lim XY X-10 x ² y ² = lim X ² y x ² - lim x ² y ² - lim x ²	K. K. DAS COLLEGE	
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that's why the double limit does not exist.	that's why the doubt limit does not exist.		
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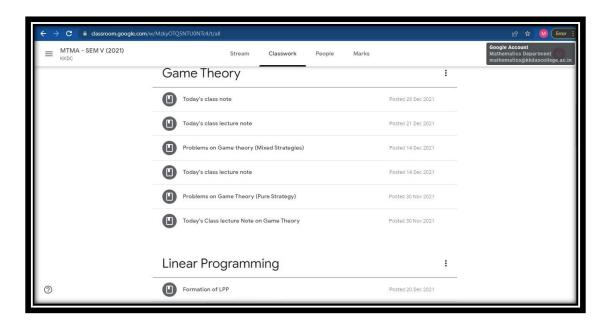
K. K. DAS COLLEGE Class Test EXAMINATION NAME Riyonka Saha SUBJECT MTMA PAPER 192051-11-0001	Inv. Signature MARKS
CLASS Sem V 193055-11-0001	
Geroup -B	
Let, B: = (1,0,1), Bo = (1,1,1), Bo =	(1,3,4)
Ld, u, = B, = (1,0,1)	
let, u2 = B2 - C Qu,	
Here, $c = \frac{\langle u_1, \beta_2 \rangle}{\ u_1\ ^2} = \frac{1+0+1}{2}$	= 1
A > . ()	
$u_2 = (t_2, t_1) - 1(t_2, t_2)$	
$u_2 = (t,1,1) - 1(1,0,1)$ $= (0,1,0)$	
= (0,1,0)	
$= (0,1,0)$ $u_3 = 0 \beta_3 - d_1 \beta_1 - d_2 \beta_2$ $How, d = \frac{\langle \beta_1, \beta_2 \rangle}{\ \beta_1\ ^2} = \frac{1+4}{2} = \frac{5}{2}$	
$= (0,1,0)$ $u_3 = 0\beta_3 - d_1\beta_1 - d_2\beta_2$	

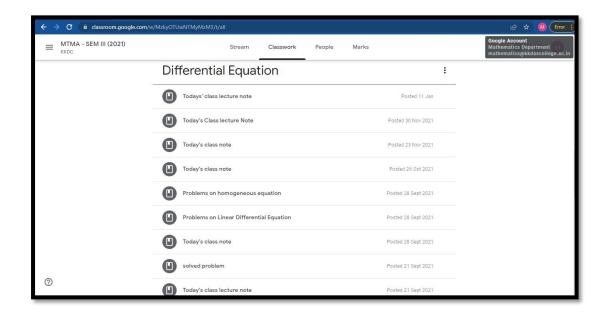
Snap Shots of the Learning Material provided to the Students by the Departments through Google Classroom and WhatsApp Group

Department of Computer Science



Department of Mathematics.

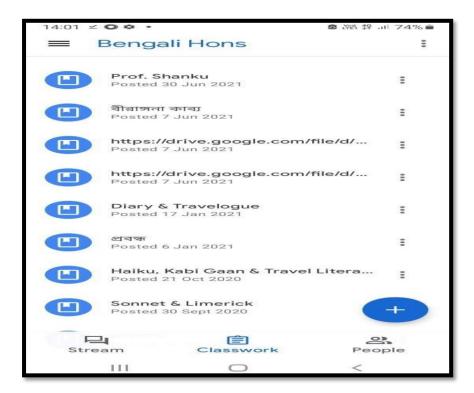




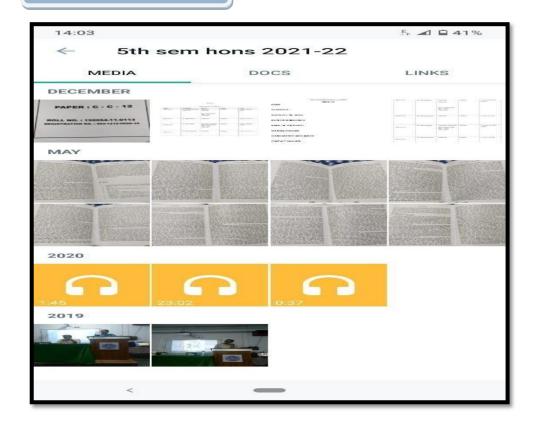
Department of Education



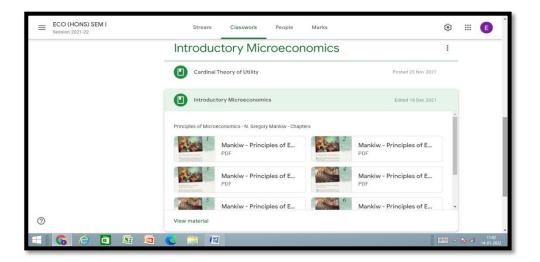
Department of Bengali.

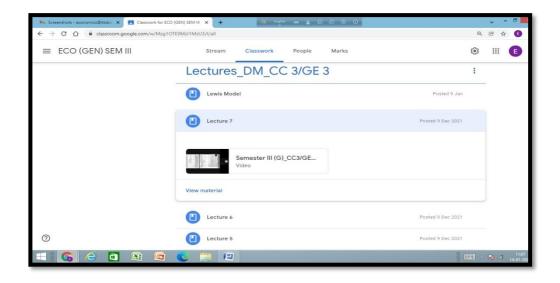


Department of History



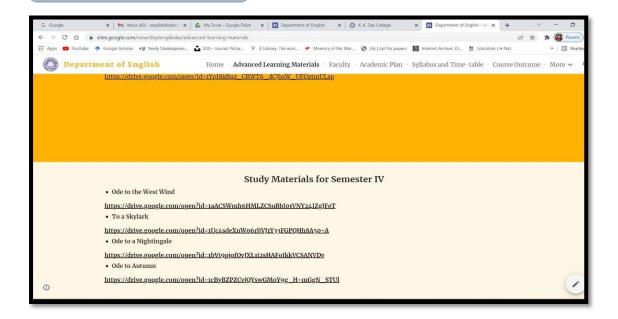
Department of Economics.

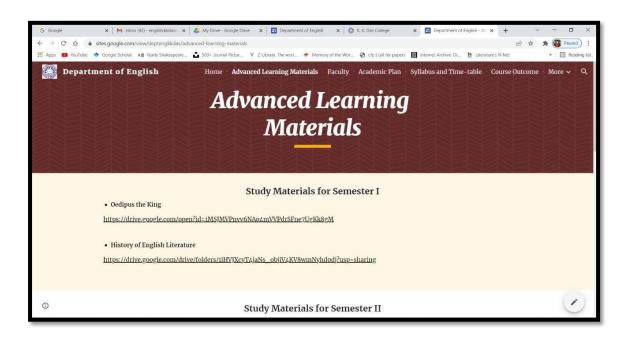




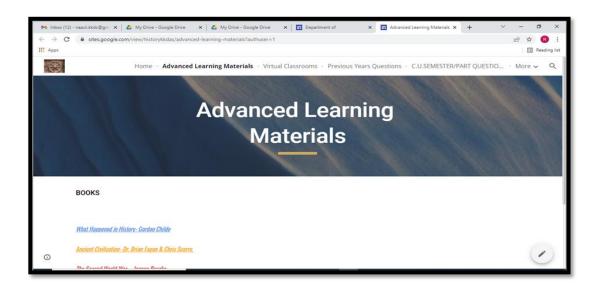
Snapshots of the Advanced Learning Materials provided by the departments in the departmental sites

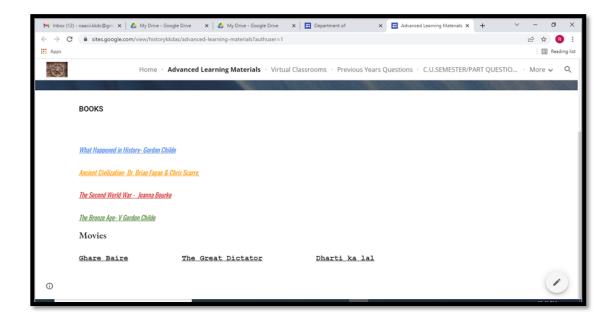
Department of English.





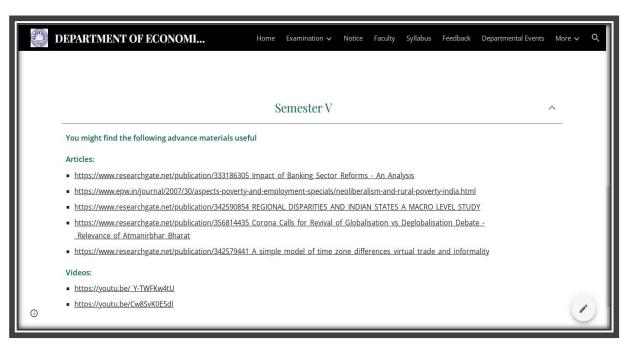
Department of History



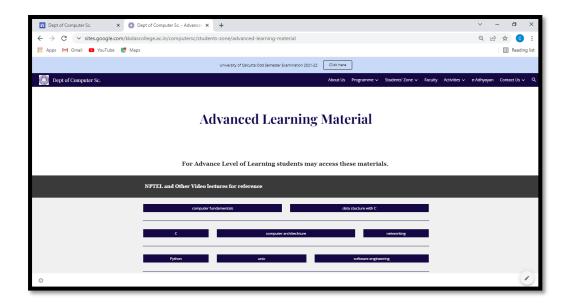


Department of Economics.

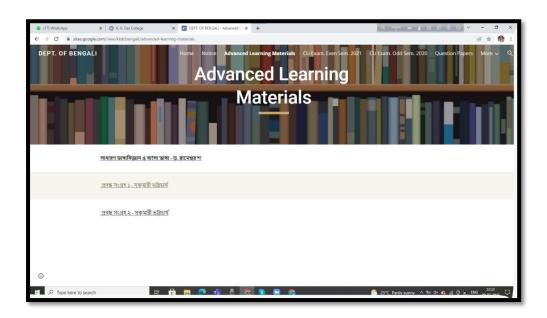




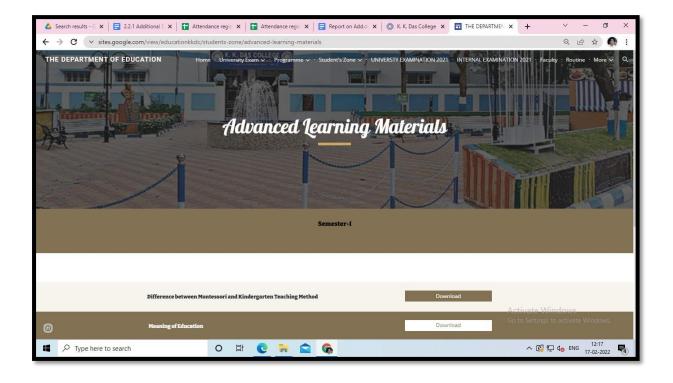
Department of Computer Science



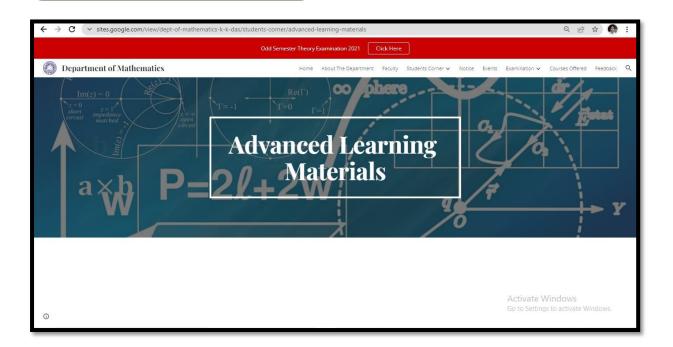
Department of Bengali.



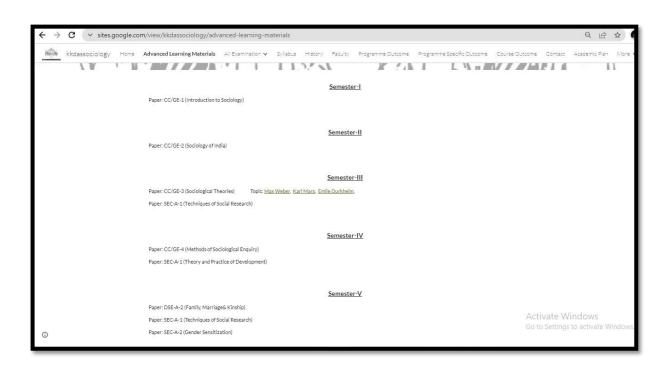
Department of Education



Department of Mathematics.



Department of Sociology.



Students participating in National Mathematics Day Celebration as a part of Advanced Learning:





